

REVISE

.wales

1.15 – Conversion, travel & distance-time graphs

Mark schemes for the 1.15 question pack

Spec 2.5.1, 2.5.2 – Unit 1

SOLUTIONS · 2025 SPECIFICATION

Mark schemes for the 3 questions in the corresponding revise.wales question pack (18 marks total). Sources: legacy WJEC GCSE papers, WJEC SAM, and custom-authored mark schemes. Pack layout © revise.wales.

9.(a) $\tan x = \frac{6.4}{8.2}$ $(x =) \tan^{-1} 0.78(0..)$ or $\tan^{-1} \frac{6.4}{8.2}$ $= 38(^{\circ})$ OR $37.9(...^{\circ})$	M1 A1 A1	Implies previous A1.
<u>Alternative method.</u> Correct use of 'two-step' method. $(x) = 38(^{\circ})$	M2 A1	<i>A partial trigonometric method is M0. Accept an answer that rounds to 38(^{\circ})</i>
9.(b) $(PAQ = 90 - 38 =) 52(^{\circ})$ $AQ = \frac{7.9}{\sin 52(^{\circ})}$ $(AQ) = 10(\text{cm})$ OR $10.0(...\text{cm})$	B1 M2 A1	FT $90^{\circ} -$ 'their 38° '. May be seen on the diagram. FT 'their clearly defined PAQ' BUT <u>not</u> if PAQ = 'their x'. M1 for $\sin 52(^{\circ}) = \frac{7.9}{AQ}$
<u>Alternative method.</u> $PQA = 38(^{\circ})$ $AQ = \frac{7.9}{\cos 38(^{\circ})}$ $(AQ) = 10(\text{cm})$ OR $10.0(...\text{cm})$	B1 M2 A1	FT 'their 38° '. May be seen on the diagram. FT 'their clearly defined PQA' M1 for $\cos 38(^{\circ}) = \frac{7.9}{AQ}$
<u>Alternative method.</u> $(PAQ = 90 - 38 =) 52(^{\circ})$ Correct use of 'two-step' method. $(AQ) = 10(\text{cm})$	B1 M2 A1	FT $90^{\circ} -$ 'their 38° '. <i>A partial trigonometric method is M0. FT 'their clearly defined PAQ' BUT <u>not</u> if PAQ = 'their x'.</i> Accept an answer that rounds to 10(cm)

<p>11(a)(i) (Area =) $\frac{1}{2} \times 1 \times (14 + 0 + 2(7 + 2 + 1 + 0.4))$ or equivalent</p> <p style="text-align: right;">= 17.4 (m)</p>	<p>M2</p> <p>A1</p>	<p>M1 for at most 1 slip in substitution of values from the velocity axis OR M1 for 1 of the vertical readings omitted with all others correct</p> <p>FT from M1</p>
<p>11(a)(i) <i>Alternative method:</i> (Area =) $\frac{(14 + 7) \times 1}{2} + \frac{(7 + 2) \times 1}{2} + \frac{(2 + 1) \times 1}{2} + \frac{(1 + 0.4) \times 1}{2}$ $+ \frac{(0.4 + 0) \times 1}{2}$ $[10.5 + 4.5 + 1.5 + 0.7 + 0.2]$</p> <p style="text-align: right;">= 17.4 (m)</p>	<p>M2</p> <p>A1</p>	<p>M1 for the sum of these 5 areas with at most one error (may be repeated) in the substitution of values from the velocity axis OR M1 for the sight of 5 correct areas with the intention to add them (possibly omitting one)</p> <p>FT from M1</p>
<p>11(a)(ii) Overestimate AND valid reason e.g. 'The trapeziums all extend above the curve', or 'The curve is below the area calculated', or 'The area of each trapezium is greater than the area under the curve', or 'The area of the 2nd trapezium is greater than the area under the curve'</p>	<p>E1</p>	<p>Allow Overestimate AND e.g. 'Does not take into account the curvature of the graph', or 'The lines I have drawn are above the curve'</p> <p>Do not accept e.g. 'Parts of the graph haven't been used'</p>
<p>11(b) Suitable tangent drawn at time 2 seconds</p> <p>Idea of difference in y ÷ difference in x</p> <p>Correct deceleration from difference in y ÷ difference in x in its simplest form</p>	<p>M1</p> <p>m1</p> <p>A1</p>	<p>Tangent needs to go through (2, 2) with no 'daylight' between their tangent and the curve</p> <p>If only 1 correct difference seen, then award m1 followed by A0</p> <p>Allow a negative value Accept a fully simplified improper fraction (unless it gives a whole number), mixed number or decimal. If they give a decimal, it needs to be correctly evaluated to at least 1 decimal place, rounded or truncated Mark final answer</p>